

Interactions between multiple sources of short term plasticity during evoked and spontaneous activity at the rat calyx of Held

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Abstract

Sustained activity at most central synapses is accompanied by a number of short term changes in synaptic strength which act over a range of timescales. Here we examine experimental data and develop a model of synaptic depression at the calyx of Held synaptic terminal that combines many of these mechanisms (acting at differing sites and across a range of time-scales). This new model incorporates vesicle recycling, facilitation, activity-dependent vesicle retrieval and multiple mechanisms affecting calcium channel activity and release probability. It can accurately reproduce the time-course of experimentally measured short term depression across different stimulus frequencies and exhibits a slow decay in EPSC amplitude during sustained stimulation. We show that the slow decay is a consequence of vesicle release inhibition by multiple mechanisms and is accompanied by a partial recovery of the releasable vesicle pool. This prediction is supported by patch-clamp data, using long duration repetitive EPSC stimulation at up to 400Hz. The model also explains the recovery from depression in terms of interaction between these multiple processes, which together generate a stimulus-history-dependent recovery after repetitive stimulation. Given the high rates of spontaneous activity in the auditory pathway, the model also demonstrates how these multiple interactions cause chronic synaptic depression under *in vivo* conditions. While the magnitude of the depression converges to the same steady-state for a given frequency, the time-courses of onset and recovery are faster in the presence of spontaneous activity. We conclude that interactions between multiple sources of short-term plasticity can account for the complex kinetics during high frequency stimulation and cause stimulus-history dependent recovery at this relay synapse.

Introduction

The concept of synaptic *short term plasticity* (STP) includes various forms of use-dependent changes in synaptic efficacy lasting over time scales of milliseconds to many seconds. These include rapid forms of synaptic depression and facilitation and slower phenomena such as augmentation and post-tetanic potentiation (reviewed by Zucker and Regehr, 2002). A large number of potential pre- and postsynaptic molecular mediators of STP have been identified, but their influence on the various forms of STP is incompletely understood.

To address this question, the use of computational models of STP has proven useful in providing specific, experimentally verifiable predictions. A central assumption in most current models is that depression is mediated by depletion of a release-ready vesicle pool (RRVP) (Liley and North, 1953; Betz, 1970), which predicts that the strength of depression should be proportional to the inverse of the stimulus frequency. Deviations from this behaviour can often be accounted for by combining vesicle depletion with release probability facilitation (Betz, 1970; Varela et al., 1997; Markram et al., 1998). This latter model class, with extensions such as heterogeneous release probabilities (Murthy et al., 1997; Trommershäuser et al., 2003) or activity-dependent vesicle retrieval (Dittman and Regehr, 1998; Graham et al., 2004), has now emerged as a standard framework for STP. However, recent work has also suggested that additional factors, such as calcium channel inhibition (Forsythe et al., 1998; Xu and Wu, 2005; Mochida et al., 2008) or presynaptic autoreceptors (Takahashi et al., 1996; Takago et al., 2005; Billups et al., 2005), can contribute to STP.

In this study, we consider these interactions by analysing voltage clamp recordings and modelling STP at the calyx of Held. The calyx of Held is a large synaptic terminal in the mammalian auditory brainstem, which contacts the principal neurons in the medial nu-

cleus of the trapezoid body (MNTB). Simultaneous pre- and postsynaptic recordings are possible (Forsythe, 1994; Borst et al., 1995; Takahashi et al., 1996), so transmission at this synapse is well documented, and it serves as a model system for other synapses (reviewed by Schneggenburger and Forsythe, 2006). Using a depletion model as a starting point, we investigate the effects of multiple mechanisms acting on different time scales on the synaptic efficacy, as measured by the postsynaptic EPSC amplitude. The minimal model includes a slow and a rapid mode of vesicle recruitment, facilitation and AMPA receptor desensitisation, as introduced in earlier studies (Weis et al., 1999; Trommershäuser et al., 2003; Wong et al., 2003; Graham et al., 2004). To integrate findings about slower processes, a fast and slow form of calcium channel inactivation and calcium channel inhibition by presynaptic metabotropic glutamate receptor (mGluR) activation were added.

This model is fitted to patch clamp recordings from the calyx of Held, and compared to the simpler depletion model. This analysis reveals several important differences, and shows that the extended model is necessary to reproduce the full dynamics observed at this synapse. Several predictions derived from the model are supported by the analysis of experimental data. We then use the model to assess the possible implications on synaptic function and transmission, and investigate conditions that the synapse encounters *in vivo*.

Methods

Experimental Data *Preparation of Brain Slices*

Brainstem slices containing the superior olivary complex (SOC) were prepared from Lister hooded rats (12-14 days old, killed by decapitation in accordance with the UK Animals, Scientific Procedures Act, 1986; previously described in Wong et al., 2003). In brief, transverse slices (200 μm thick) containing the MNTB were cut in low sodium artificial CSF (aCSF) at $\sim 0^\circ\text{C}$, and slices were then stored at 37°C for 1 hour in normal aCSF, after which they were stored at room temperature ($\sim 20^\circ\text{C}$) until use. Composition of the normal aCSF was (mM): NaCl 125, KCl 2.5, NaHCO_3 26, glucose 10, NaH_2PO_4 1.25, sodium pyruvate 2, myo-inositol 3, CaCl_2 2, MgCl_2 1 and ascorbic acid 0.5; pH was 7.4 when continuously bubbled with 95% O_2 / 5% CO_2 . In the low sodium aCSF, NaCl was replaced by 250 mM sucrose and CaCl_2 and MgCl_2 concentrations were 0.1 and 4 mM, respectively.

Imaging and Electrophysiology

Imaging was used as previously described (Billups et al., 2002) to identify neurones with intact calyceal synaptic connections. Briefly, MNTB neurons were loaded with 7 μM Fura2 acetoxymethyl ester (Fura2-AM; Molecular Probes, Eugene, OR, USA) for ~ 4 minutes and then viewed with a Photometrics Cool SNAP-fx camera after a single 100 ms exposure to light at 380 nm wavelength (provided by a xenon arc lamp controlled by a Cairn Optoscan monochromator; Cairn Instruments, Faversham, UK). Fluorescent images were displayed using the Metafluor imaging suite software (version 7, Molecular Devices, Sunnyvale CA, USA). A region of interest was drawn around labelled neurons and a train of stimuli (200 Hz, 200 ms) delivered through an external bipolar platinum electrode placed at the midline across the slice from a DS2A isolated stimulator (pulses of $\sim 8\text{V}$, 0.02 ms; Digitimer, Welwyn Garden City, UK). Connected neurons were identified by a reduction in the 380 nm signal due to the postsynaptic rise in calcium concentration following the synaptic stimulation. Cells were then located visually under the microscope and patch clamped.

Whole cell recordings were made from the identified connected neurons, visualised with an x40 immersion objective on a Zeiss Axioskop microscope fitted with differential interference phase contrast (DIC) optics, using either an Axopatch 200B, or a multiclamp

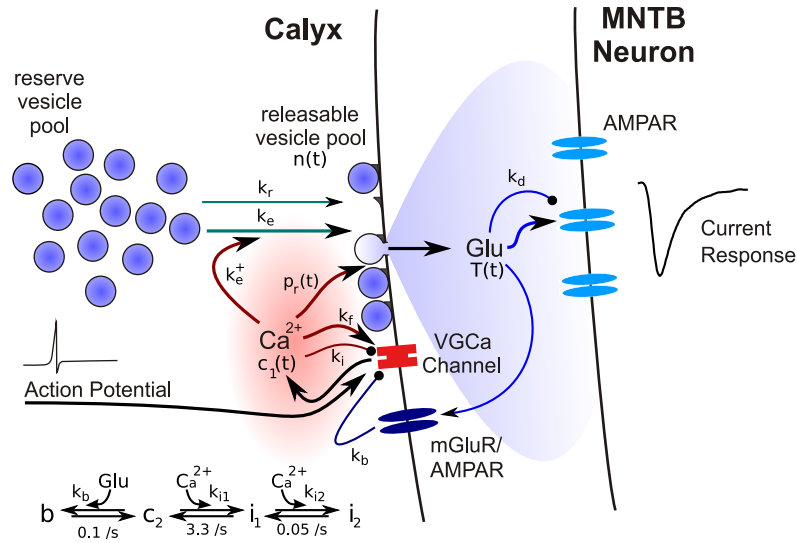


Figure 1: Schematic illustration of the different signalling pathways included in the model. Arrows indicate positive and filled circles negative interactions. Green lines indicate pathways implicated in vesicle trafficking, red lines the calcium-dependent processes, and blue lines the glutamate-dependent processes. Processes that are strongly activated by a single presynaptic action potential are drawn as thick lines. Variable names and rate constants are specified as used in Eqns. 1-10. The kinetic scheme summarises Eqns. 6-10. Abbreviations: Glu - glutamate, VGCa Channel - voltage-gated calcium channel, mGluR - metabotropic glutamate receptor, AMPAR - AMPA receptor. See Methods for a detailed description.

700B amplifier and pClamp 9.2 software (Molecular Devices), sampling at 50 kHz and filtering at 10 kHz. Patch pipettes were pulled from filamented borosilicate glass (GC150F-7.5, outer diameter 1.5 mm; inner diameter 0.86 mm; Harvard Apparatus, Edenbridge, UK) with a 2-stage vertical puller (PC-10 Narishige, Tokyo, Japan). Pipettes were used with tip resistances of $\sim 3.5 \text{ M}\Omega$ when filled with a solution containing (mM): 97.5 Kgluconate, 32.5 KCl, 10 HEPES, 5 EGTA, 1 MgCl_2 , 5 QX-314 (pH adjusted to 7.3 with KOH; Osmolarity 310 mOsmoles). Whole cell access resistance was $< 15 \text{ M}\Omega$ and series resistance routinely compensated by 70%. Evoked EPSCs recorded in the whole-cell configuration were elicited at varying frequencies by stimulation of the presynaptic trapezoid body axons with the midline positioned bipolar electrode using the same parameters as above.

Recordings were taken at either room ($\sim 22^\circ\text{C}$) or physiological temperature ($37 \pm 1^\circ\text{C}$) which was controlled by an environmental chamber and heat exchange, built into the microscope stage. The temperature was maintained by feedback control with Peltier devices warming the aCSF passing through a low volume perfusion system at 1ml/min. A ceramic water-immersion objective coated with sylgard was used to reduce the thermal sink of the immersion objective lens.

Computational Model A model was developed to simulate the postsynaptic EPSC amplitude in response to presynaptic APs at the calyx of Held, which includes a variety of processes contributing to STP (Fig. 1). Each process was implemented as a deterministic model by linear first order differential equations, and the corresponding state variables represent relative amounts bound between $[0:1]$. The model consists of a presynaptic compartment, where glutamate is released, and a postsynaptic compartment, where the

current response is generated by AMPA receptors. The magnitude of the postsynaptic current following a presynaptic AP depends on the presynaptic dynamics regulating transmitter release, and on postsynaptic AMPA receptor desensitisation.

The fraction of transmitter $T(t)$ released from the presynaptic terminal during stimulation with a single AP depends on the RRVP occupancy $n(t)$ and the release probability $p(t)$:

$$T(t) = n(t) \cdot p_r(t) \quad (1)$$

Following earlier models (Betz, 1970; Markram et al., 1998; Dayan and Abbott, 2001; Wong et al., 2003; Graham et al., 2004), both the release probability and vesicle pool size are dynamic variables, which allows for modelling of vesicle pool depletion, release probability facilitation and further presynaptic sources of STP.

As in previous models, vesicle pool depletion was considered as a main source of synaptic depression (Liley and North, 1953; Tsodyks and Markram, 1997; Abbott et al., 1997): two different vesicle pools exist, a large (assumed infinite-sized) reserve pool and a smaller release-ready vesicle pool $n(t)$ (RRVP). Released vesicles are replaced from the reserve pool at a rate k_r . In addition, a rapid form of vesicle retrieval $k_e(t)$ with linear dependence on the calcium concentration (Hosoi et al., 2007) was included (Wang and Kaczmarek, 1998; Wu et al., 2005):

$$\frac{dk_e(t)}{dt} = -\frac{k_e(t)}{\tau_e} + \sum_s k_e^+ c_1(t) \cdot (1 - k_e) \cdot \delta(t - t_s), \quad (2)$$

where k_e^+ is the activation rate following APs at times $\{t_s\}$, τ_e the decay time and $c_1(t)$ the relative magnitude of the AP-evoked calcium transient (see below). The releasable vesicle pool was modelled as a continuous variable $n(t)$, with $n(t)=1$ corresponding to all available sites containing a docked vesicle. Not counting discrete numbers of vesicles is possible because the calyx has a very large RRVP (estimates range from 1800 up to >4000 vesicles (Sakaba and Neher, 2001b; Yamashita et al., 2005), distributed across 500-600 active zones (Sätzler et al., 2002)). The dynamics of the RRVP is defined by:

$$\frac{dn(t)}{dt} = [k_r + k_e^m k_e(t) \cdot \delta(t - t_s)] \cdot (1 - n(t)) - \sum_s T(t) \cdot \delta(t - t_s) \quad (3)$$

The maximal rate of activity-dependent vesicle retrieval is given by k_e^m . The factor $(1 - n(t))$ ensures that the pool has a limited maximal size, i.e. each release site (active zone) has a limited number of “docking” sites for vesicles.

AP-evoked vesicular transmitter release is triggered by calcium entering through voltage gated calcium channels, with a highly nonlinear relation between calcium concentration and release rate (Borst and Sakmann, 1999; Sakaba and Neher, 2001b; Lou et al., 2005). Changes in the AP-evoked intracellular calcium concentration $[Ca^{2+}]_i$ were explicitly modelled (see below), and a 4th power-law relation determines the corresponding release probability $p_r(t)$:

$$p_r(t) = 1 - \exp(-C_0 \cdot ([Ca^{2+}]_i)^4), \quad (4)$$

where C_0 is a scaling factor. As a result, small changes in $[Ca^{2+}]_i$ can translate into large changes in $p_r(t)$.

Experiments have shown that the presynaptic AP-evoked calcium transient amplitude $[Ca^{2+}]_i$ is affected by a variety of processes. Calcium channel facilitation, causing an increase in calcium influx during repeated stimulation (Borst and Sakmann, 1998; Cuttle

et al., 1998), accumulation of residual calcium (Felmy et al., 2003a) and the effect of calcium buffers (Müller et al., 2007) are candidates for facilitatory effects, and depressing effects are expected from calcium channel inactivation (Forsythe et al., 1998) and calcium channel suppression due to activation of G-proteins for instance by presynaptic mGluR (Takahashi et al., 1996) or AMPAR (Takago et al., 2005) activation. A phenomenological model of these effects was implemented by the following set of equations:

$$\frac{dc_1(t)}{dt} = \frac{c_2(t) - c_1(t)}{\tau_f} + \sum_s k_f \cdot \delta(t - t_s) \quad (5)$$

$$\frac{dc_2(t)}{dt} = \frac{i_1(t)}{\tau_i} + \frac{b(t)}{\tau_b} - \sum_s [k_{i1} + k_b \cdot T(t)] \cdot c_2(t) \cdot \delta(t - t_s) \quad (6)$$

$$\frac{di_1(t)}{dt} = -\frac{i_1(t)}{\tau_{i1}} + \sum_s k_{i1} \cdot c_2(t) \cdot \delta(t - t_s) + \frac{i_2(t)}{\tau_{i2}} \quad (7)$$

$$\frac{di_2(t)}{dt} = -\frac{i_2(t)}{\tau_{i2}} + \sum_s k_{i2} \cdot i_1(t) \cdot \delta(t - t_s) \quad (8)$$

$$\frac{db(t)}{dt} = -\frac{b(t)}{\tau_b} + \sum_s k_b \cdot T(t) \cdot c_2(t) \cdot \delta(t - t_s) \quad (9)$$

$$1 = c_2 + i_1 + i_2 + b \quad (10)$$

The variable $c_1(t)$ (Eqn. 5) describes the evolution of $[Ca^{2+}]_i = c_1(t)$. Facilitation is modelled by increasing $c_1(t)$ by the amount k_f after each presynaptic AP, which decays with τ_f to $c_2(t)$. The variable $c_2(t)$ accounts for the suppression of the calcium current by inactivation and mGluR/AMPA activation (Eqns. 6-9). Inactivation was modelled as a reversible process from a resting (c_2) to the inactivated state i_1 with a rate k_{i1} (Eqn. 7) and relaxation time constant τ_{i1} . From i_1 , a further inactivated state is accessible with a rate k_{i2} , which recovers slower than i_1 with the time constant τ_{i2} (Eqn. 8). The effect of presynaptic mGluR/AMPA activation was modelled by a transition from the resting state c_2 to a blocked state b with a forward rate $k_b \cdot T(t)$ (Eqn. 9), and a recovery time τ_b . This represents a simple model of the effect of presynaptic glutamate autoreceptors (mGluRs or AMPARs) on calcium channels via G-protein activation (Billups et al., 2005), which ignores the activation kinetics of reaction intermediates in this process.

The postsynaptic response depends on the amount of released transmitter $T(t)$, and is modulated by AMPAR desensitisation (Wong et al., 2003). Desensitisation was modelled by a reversible transition into a desensitised state of the receptors with an increment k_d and recovery time τ_d :

$$\frac{dD(t)}{dt} = -\frac{D(t)}{\tau_d} + \sum_s (1 - D(t)) \cdot k_d \cdot T(t) \cdot \delta(t - t_s) \quad (11)$$

The postsynaptic response was then calculated as:

$$R(t) = T(t) \cdot (1 - D(t)) \quad (12)$$

The model was implemented in Matlab (Version 7.2; Mathworks, Natick MA). The differential equations were numerically integrated using the ode45 function. All parameters used to simulate the pooled experimental data (see Results) are summarised in Table 1. The source code is available at ModelDB (<http://senselab.med.yale.edu/modeldb/>).

Parameter (Eqn.)	Value	Parameter (Eqn.)	Value
k_e^+ (2)	0.24	k_{i1} (7)	0.009/s
τ_e (2)	0.1s	τ_{i1} (7)	0.3s
k_e^m (3)	6/s	k_{i2} (8)	0.007/s
k_r (3)	0.23/s	τ_{i2} (8)	20s
C_0 (4)	0.2492	k_b (9)	0.013/s
k_f (5)	0.06/s	τ_b (9)	10s
τ_f (5)	0.04s	k_d (11)	2.63/s
		τ_d (11)	0.027s

Table 1: The model parameters used in all simulations, except where noted differently.

Model fitting procedure A combination of manual and automated nonlinear curve fitting was used to fit simulated normalised EPSC amplitudes to experimentally obtained EPSCs during presynaptic stimulation with regular spike trains (Fig. 2A, B). The experimental data showed two characteristic features: transient depression that increased in strength with increasing stimulus frequency, and a second, slow exponential component at high frequencies. These, and the finding that AMPAR desensitisation only contributes at stimulus frequencies $\geq 50\text{Hz}$ (Wong et al., 2003), were exploited to fit different aspects of the model at a low (10Hz) and high stimulus frequency (100Hz).

First, several parameters were fixed to plausible values: the time constant for the slow vesicle retrieval was set to 4.4s; the decay time for facilitation to 40ms (Cuttle et al., 2001; Müller et al., 2007); the decay time for the calcium current inhibition mediated by mGluR activation to 10s (Billups et al., 2005). The decay times for fast and slow calcium channel inactivation were set to 0.3s and 20s, respectively. These values are speculative, but were chosen to account for the multiple kinetic components identified in voltage-gated calcium channel inactivation (Forsythe et al., 1998; Patil et al., 1998; Hering et al., 2000; Lee et al., 2000). Then, the basal release probability (determined by C_0), the rate and the decay time constant for activity-dependent vesicle recruitment were optimised against data recorded at low stimulus frequencies (10 and 20Hz at room temperature, 50Hz at physiological temperature; using the `fminsearch` function in Matlab). These values were then kept fixed, and the rate and decay time of AMPAR desensitisation was optimised against the 100Hz data. At this stage, it was usually possible to improve the fit of the slow decay at 100Hz either by manual adjustment or further optimisation of the slow calcium channel inhibition, because, for fixed decay time constants, the activation constants primarily determine the (exponential) slope of the decay. The procedure was then repeated with fixed values for slow calcium channel inhibition until the data for all four frequencies tested was reproduced with a single set of parameters.

1 Results

Experimental data

A set of voltage-clamp recordings from 14 MNTB neurons was analysed and used to fit the model (Wong et al., 2003). EPSCs were recorded at room temperature during stimulation of the trapezoid body inputs with 1 sec trains at 10, 20, 50 and 100 Hz stimulation frequency (Fig. 2A, B). A considerable variability of the first EPSC amplitude between individual cells was found (ranging from 1.2 nA to 9.4 nA, mean 3.5 ± 2.1 nA (mean \pm SD); Fig. 2B). All neurons showed strong, frequency-dependent depression during the

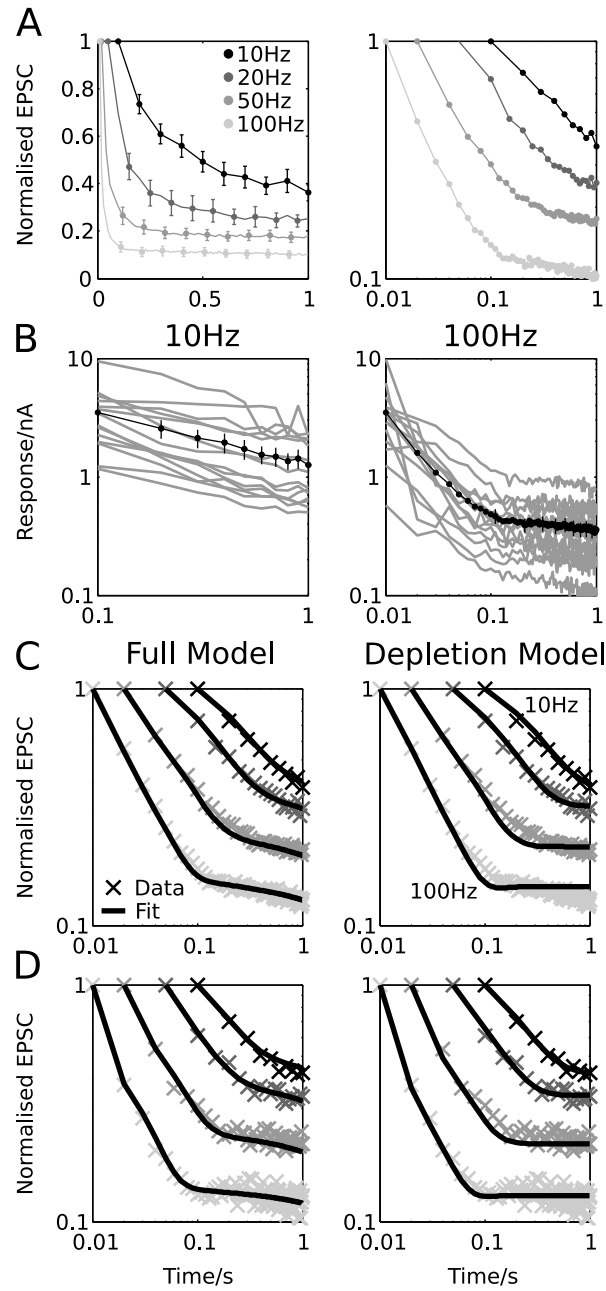


Figure 2: Time course of synaptic depression at the calyx of Held and model fits. A, Depression of the EPSC amplitude (normalised, average data from $n = 14$ cells) during stimulation lasting 1 sec at 10, 20, 50 and 100Hz in linear (left) and double-logarithmic (right) coordinates. B, Average EPSC amplitudes from all 14 cells (grey) and the population average (black) for 10 Hz (left) and 100 Hz (right) stimulation, plotted in double-logarithmic coordinates. Note that all cells show an initial depression approximating a power-law time course, which then terminates into a slower decay. C, D, Experimental data for all frequencies (crosses) and model fits (black lines) for the whole population (C) and an individual cell (D) for the full model (left), and the reduced “depletion model” (right), which does not include slow calcium channel inhibition. Only the full model can accurately fit the late, slow EPSC decay at high frequencies. Parameters: pooled data, full model: Table 1; pooled data, depletion model: $k_e=0.19/s$, $C_0=0.2522$, $k_d=2.13/s$, $\tau_d=0.032s$; single cell, full model: $k_e=0.57/s$, $C_0=0.4071$, $k_d=2.56/s$, $\tau_d=0.019s$; single cell, depletion model: $k_e=0.34/s$, $C_0=0.3862$, $k_f=0.036/s$, $k_d=2.39/s$, $\tau_d=0.025s$. Errorbars in A and B show ± 1 SEM.

first 10 EPSCs, and the strength of depression was correlated with the initial EPSC amplitude ($p < 0.002$ for the first two EPSCs at frequencies ≤ 50 Hz). In addition to strong initial depression, a further slower component of depression was evident for stimulation at 50 or 100Hz. These two components of depression are best illustrated in a double-logarithmic representation of the EPSC amplitudes (Fig. 2A, right and B). At 10 and 20Hz, the stimulus duration of 1 sec was not sufficient to resolve this second phase of depression. Recordings using longer stimuli however indicated that the slow, late depression is not present at low frequencies (see below). The magnitude of the slow EPSC amplitude decay was variable from cell to cell and fitted by a single exponential function. The average decay time constant, measured at 100Hz in the interval from 300ms to 1s, was 27 ± 20 s (mean \pm SD, range 9s to 85s). It will be shown below that this trend continues in longer recordings. We also note that the slow decay is also visible in recordings where postsynaptic AMPA receptor desensitisation was minimised by application of γ -DGG (4mM) or kynureate (2mM), indicating a presynaptic origin (data not shown; cf. Wong et al., 2003).

Modelling synaptic depression

To reproduce the observed dynamics of synaptic depression, mathematical descriptions of different experimentally identified activity-dependent processes were combined in a model to simulate EPSCs in response to trains of presynaptic APs (Fig. 1 and Methods). As in earlier studies (Liley and North, 1953; Tsodyks and Markram, 1997; Abbott et al., 1997), depletion of the readily releasable vesicle pool (RRVP) contributes to synaptic depression. Motivated by experimental results (Wang and Kaczmarek, 1998; Wu et al., 2005) and earlier theoretical work (Weis et al., 1999; Wong et al., 2003; Graham et al., 2004), a rapid calcium-dependent mode of vesicle retrieval was included, which reduces depletion and is necessary for maintained transmission at high frequencies. Postsynaptic AMPA receptor desensitisation was included, which contributes to depression at stimulus frequencies ≥ 50 Hz (Wong et al., 2003). In addition, as a second site of activity-dependent regulation, modulation of the release probability p_r was considered. Unlike in earlier studies however, the release probability was calculated from the magnitude of the calcium transient at the release site (release transient), taking into account the highly nonlinear relation between the calcium concentration $[Ca^{2+}]_i$ and p_r (Methods, Eqn. 4). As a first step, release probability facilitation with a fast decay time was included, which contributes to facilitation at higher stimulus frequencies (Wong et al., 2003). In this configuration, the model is conceptually similar to classical depletion models with facilitation (Betz, 1970; Markram et al., 1998; Dayan and Abbott, 2001), which also have been used to model transmission at the calyx of Held (Wong et al., 2003; Graham et al., 2004). Because here synaptic depression results from vesicle pool depletion, it will in the following be referred to as the *depletion* model.

This basic model was further extended by including multiple, activity-dependent changes of the release probability resulting from suppression of calcium channels. The processes considered here are fast and slow modes of calcium channel inactivation and calcium channel inhibition by presynaptic autoreceptor (mGluR/AMPA) activation. In this and the following sections, this *full* model will be compared to the *depletion* model to highlight the significant qualitative differences between these two model classes.

By combining nonlinear optimisation with manual parameter adjustment to physiologically plausible values (Methods), very tight fits to the experimental data were obtained (Fig. 2C,D, plots on left). Both the rapid entry into depression and the slow decay at high frequencies could be reproduced by a single set of parameters for all four stimulus

frequencies. In comparison, the depletion model could reproduce the initial phase of depression, but could not account for the late slow decay (Fig. 2C,D; compare plots on left and right).

In total, for 12 of the 14 cells used here, good fits were obtained. Where the fitting procedure failed, the data was noisy, which prevented the fitting algorithm finding appropriate minima. For seven additional cells, the fit of the EPSCs at 10Hz was unsatisfactory for the same reason, but fits at higher frequencies were still accurate. The parameters ranges encountered were (mean \pm SD): $C_0 = 0.324 \pm 0.165$ (release probabilities: $p_r(t=0) = 0.268 \pm 0.118$); $k_e^+ = 0.31 \pm 0.20/s$; $k_d = 2.18 \pm 0.78/s$; $\tau_d = 0.026 \pm 0.016s$.

The robustness of the optimisation procedure can be investigated by considering solutions of Equation 3 at times when the fast varying quantities have settled to their steady state values, and solve for $\dot{n}(t) = 0$. Then we obtain $\langle n \rangle \cdot \langle p \rangle = (k_r + k_e^m \langle k_e \rangle) (1 - \langle n \rangle)$, where $\langle \cdot \rangle$ denote average quantities at steady state. At low frequencies around 10Hz, we can assume a constant release probability $\langle p \rangle = p_r(t=0)$, as facilitation has no effect (Wong et al., 2003), and calcium channel inhibition develops very slowly (see below). Then, the steady state EPSC amplitude is primarily a function of $\langle p \rangle$, k_r and $\langle k_e \rangle$. Passive vesicle retrieval k_r is very slow, hence has only little impact on the EPSC amplitude. This leaves the release probability and the rate of activity-dependent vesicle retrieval as the relevant parameters, which could be reliably optimised against the experimental data. In the fits to data from individual cells, we found that the estimated release probability was positively correlated with the first EPSC amplitude, indicating a heterogeneity in release probability between cells (Schneggenburger et al., 1999). There was however no systematic variation of the rate of activity-dependent vesicle retrieval with initial EPSC amplitude, which determines the steady-state EPSC amplitude.

At higher stimulus frequencies, facilitation and AMPAR desensitisation contribute to STP (Wong et al., 2003), as well as the different mechanisms of calcium channel inhibition. The latter primarily determine the slope of the late, slow EPSC amplitude decay, and were kept fixed as they had a negligible effect on the optimisation of other parameters. For a more accurate estimation of these parameters, we also used longer recordings (see below). The remaining parameters for facilitation and desensitisation affect both the time course of the early entry into depression and the steady state response, and different parameter combinations could yield fits of similar quality. Therefore, the parameters for facilitation were fixed at values that reproduced the time course of presynaptic calcium current recordings (Forsythe et al., 1998; Xu and Wu, 2005), and the optimisation was restricted to parameters for desensitisation. These parameters also showed a considerable variability, but no correlation with other parameters was evident. It is therefore not clear at this stage whether this heterogeneity is an artifact of the fitting procedure, or reflects true differences in the physiology.

Slow release probability reduction leads to partial vesicle pool recovery

To explain the qualitative differences between the two variants of the model, the evolution of the main state variables during stimulation at different frequencies are shown in Figure 3 for both model types. We first consider responses at high frequencies $\geq 50\text{Hz}$. Here, an initial facilitation of the calcium release transient is accompanied by a corresponding increase of the release probability in both models (Fig. 3B). During the 100Hz stimulus, facilitation of the calcium release transient peaks at about the 1.12-fold of its initial value, which is consistent with presynaptic recordings at the calyx of Held (Forsythe et al., 1998; Xu and Wu, 2005). This causes a 1.5-fold increase in release probability due to the

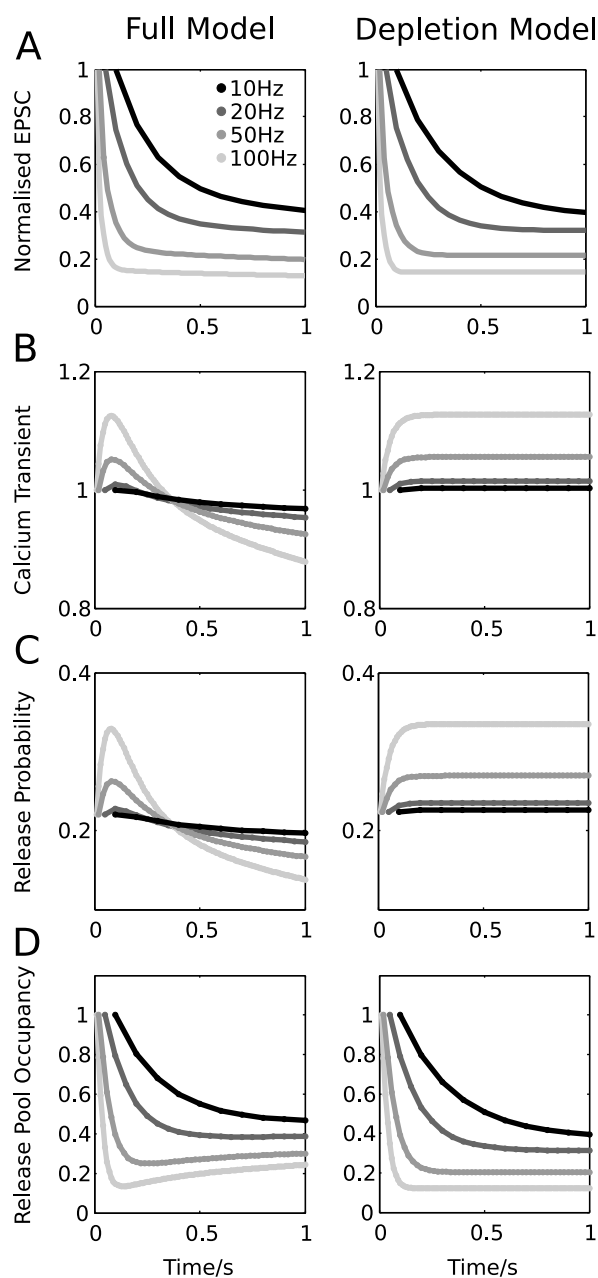


Figure 3: Comparison of the full (left plots) and simpler depletion model (right plots). Normalised mean EPSC amplitudes and model fits for 10, 20 50 and 100Hz stimulation, replotted from Fig. 2, are shown in part A. Further shown are the normalised amplitude of the simulated calcium release transient (B), the resulting release probability (C) and the normalised vesicle pool occupancy (D). Note that a slow reduction of the release probability leads to partial vesicle pool recovery in the full model.

nonlinear relation between calcium concentration and release probability (Fig. 3C), and leads to a rapid depletion of the RRVP (Fig. 3D). It should be noted that, consistent with experimental findings, release probability facilitation leads to EPSC facilitation at high frequencies, but this effect is largely masked by AMPAR desensitisation (data not illustrated, see also Wong et al., 2003).

For the full model, facilitation becomes gradually less effective as calcium channel inhibition increases after about 80ms (Fig. 3B). After a 1 sec stimulus train at 100Hz, the calcium release transient is reduced to about 88% of its initial value. A similar decrease of the presynaptic calcium current amplitude was found experimentally in presynaptic recordings (Forsythe et al., 1998; but note that these currents were recorded with 1mM external Ca^{2+} ; see also Discussion), and an even stronger decrease was recently reported by Xu and Wu (2005). This leads to a slow reduction of the release probability to about 63% of its initial value. In parallel, a slow EPSC amplitude decay and a slow recovery of the releasable vesicle pool can be observed (Fig. 3D). The depletion model does not show this behaviour, here the release probability and the releasable vesicle pool occupancy quickly reach their steady-state values (Fig. 3C,D, plots at the right).

The different behaviour of the two models is easily understood when Equation 3 is solved in the adiabatic limit. This yields the expression $n \cdot p_{rel} \sim \langle k_e \rangle \cdot (1 - n)$, where $\langle k_e \rangle$ is the average rate of activity-dependent vesicle recycling. This shows that a slow reduction of p_{rel} (as caused by calcium channel inhibition) is partially compensated by an increase in n , such that the amount of released transmitter $n \cdot p_{rel}$ remains almost constant. This behaviour depends on the amount of activity-dependent vesicle recycling, which also determines the steady-state EPSC amplitude. Due to the factor $(1 - n)$, the compensation of a reduction in p_{rel} is stronger if n is smaller (i.e., during high frequency stimulation), but never complete, which leads to the observed slow decay of the EPSC amplitude. We note that this behaviour only occurs if the size of the releasable vesicle pool is limited to a maximum (i.e. a limited number of “docking”-sites exist); if the activity-dependent recycling is unbound, the compensation is complete and no slow EPSC decay is observed (Billups et al., 2005; Hennig et al., 2007).

At lower frequencies <50Hz, release probability facilitation is not implicated in the release process (Fig. 3B), and the initial phase of depression is mainly caused by depletion of the RRVP. In the full model, depletion develops slower than in the depletion model. After 1s of 10Hz stimulation, the occupancy is 46% in the full, but 40% in the depletion model. This difference is, again, a consequence of calcium channel inhibition in the full model, resulting in reduction of the release probability and concomitant refilling of the RRVP. This effect is weaker at low frequencies because calcium channel inhibition is less effective and because of an overall weaker RRVP depletion.

Overall, when simulating a prolonged stimulation, the response becomes stationary after about 35 sec. At 100Hz, the calcium release transient amplitude then settles to about 57%, causing a release probability reduction to 12% and a vesicle pool recovery to 61% from an initial depletion to 14%. At 10 Hz, a decrease in release probability is accompanied by a weaker recovery of the RRVP from 49% to 60%.

Experimental characterisation of transmission during prolonged stimulation at physiological temperature

The simulations predict that a gradual reduction of the release probability should lead to a prolonged slow decay of the EPSC amplitude. The duration of the decay would depend on the slowest process affecting the release probability (here slow calcium channel inacti-

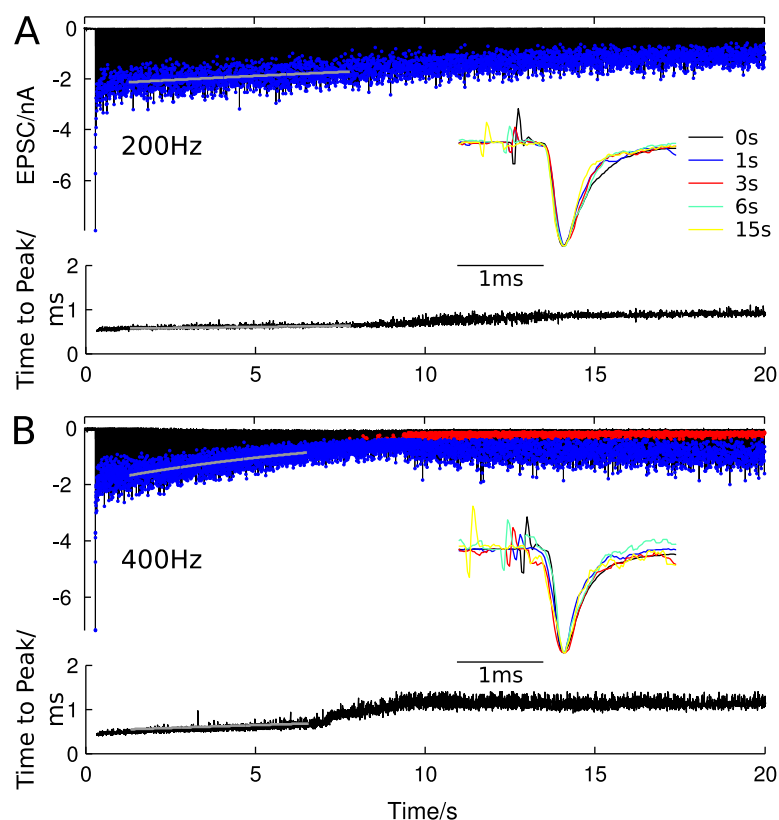


Figure 4: A slow EPSC amplitude run-down continues during prolonged stimulation at high frequencies. A, EPSCs recorded during 20 sec stimulation at 200Hz (A) and 400 Hz (B) at 37°C. Stimulation artifacts were removed for clarity. Blue dots indicate individual EPSC peaks, and grey lines show exponential fits of the EPSC peak amplitude decay. In part B, dark red dots show presynaptic action potential failures. Insets show normalised EPSCs at different time points after stimulus onset (stimulus artifacts were rescaled for clarity). Below, the latency between the positive deflection of the stimulus artifact and the EPSC peak (time to peak) are shown. Grey lines show exponential fits.

vation), hence it should be clearly visible in experiments using long stimulation protocols. To test this, EPSCs obtained during 20 sec stimulation at frequencies up to 400Hz were analysed. These experiments were carried out at 37°C, where the calyx of Held is capable of maintaining accurate transmission even at high frequencies (Taschenberger and von Gersdorff, 2000).

In agreement with the theoretical results, a slow decay of the EPSC amplitude is clearly visible at frequencies $\geq 100\text{Hz}$ in six cells investigated, following a rapid initial entry into depression (Fig. 4). In addition, presynaptic action potential failures, identified by stimulus artifacts not followed by a measurable current response (Fig. 4B, red dots) were found to affect transmission at frequencies $> 100\text{Hz}$. The frequency and time where action potential failures were observed were different for each cell (200-400Hz, after about 8 to 10 sec), but highly reproducible in single cells (data not illustrated). While a slow EPSC amplitude decay was visible before the onset of action potential failures in all recordings, the EPSCs became more irregular in the presence of failures, and no clear trend was visible anymore. Instead, the mean EPSC amplitude increased again slightly. This is possibly due to reduced stimulus-induced depression, because the stimulus frequency is effectively reduced in the presence of presynaptic AP failures. Hence it was not possible to fully assess the duration of the slow EPSC amplitude decay in these experiments.

The EPSC amplitude decay is well described by a single exponential function (Fig. 4, grey lines). This analysis was carried out in the interval from 1 sec after stimulus onset to the point where action potential failures were first observed. For six cells investigated, the measured time constants are $20.7 \pm 5.6\text{s}$ (mean \pm SD) at 200Hz and $6.1 \pm 2.2\text{s}$ at 400Hz. The frequency-dependent decrease is statistically significant ($p < 0.001$; 2-tailed t-test).

We also investigated changes of the EPSC latency (measured from the positive deflection of the stimulus artifact to the EPSC peak), because a change in latency might indicate a change in presynaptic calcium influx, which in turn would affect the release probability (Felmy et al., 2003b). In all cells, a clear increase in EPSC latency, beginning at an initial value of about 0.5ms was found (Fig. 4). During the course of the recording, the latency increase always showed three distinct phases. The first phase, which was well described by an exponential function, lasted about 8-10s, and was followed by a shorter (1-3s) phase of rapid increase. The rapid increase always coincided with the onset of action potential failures at high frequencies and could therefore indicate changes in AP waveform or other presynaptic effects. Finally, the EPSC latency reached a stationary value of about 1ms. The time constants for the initial latency increase were estimated as $100 \pm 39\text{s}$ (mean \pm SD) at 200Hz and $18 \pm 12\text{s}$ at 400Hz. This frequency-dependent acceleration was statistically significant ($p < 0.001$; 2-tailed t-test).

When the EPSC latency is interpreted as a measure of the release probability, and the EPSC rundown is, as predicted by the model, caused by slow reduction of the release probability, the time constants for latency increase and EPSC rundown should be correlated. A statistically significant correlation was indeed found for the pooled data set ($r = 0.92$; $p < 0.001$) and at 400Hz ($r = 0.83$; $p < 0.05$), but not at 200Hz ($r = 0.69$; $p > 0.05$). It should be noted that the EPSC kinetics remained almost unchanged during the course of the stimulus (Fig. 4; insets), indicating no or little change in the release calcium release transient waveform and AMPAR kinetics. In particular, no significant change in EPSC decay time constants were detected, but it became increasingly more variable, possibly indicating a loss in synchrony of release after prolonged stimulation.

The model further predicts that a reduction in release probability is accompanied by refilling of the RRVP. When binomial statistics are assumed for the release process, the mean EPSC amplitude is $\langle E \rangle = npq$, where n is the number of releasable vesicles, p

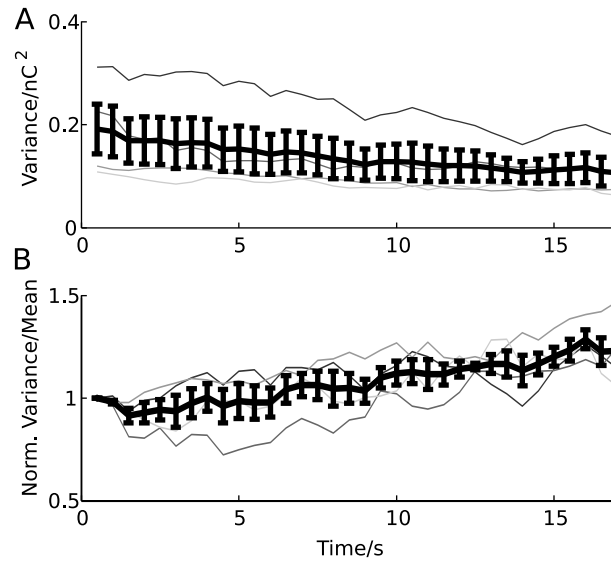


Figure 5: Single-trial variance-mean analysis of EPSCs during stimulation at 200Hz. Mean and variance of the EPSC charge, integrated over 1ms, were estimated from the EPSCs in a sliding window (window size 2 sec; step size 1 sec; beginning at 0.5 sec after stimulus onset). A, Estimated variance for four single cells (grey curves) and the average variance (black curve). B, Variance-mean ratio for single cells (grey curves) and the average ratio (black curve), normalised to the first bin. Errorbars show ± 1 SEM.

the release probability and q the quantal current, and its variance $\langle (E - \langle E \rangle)^2 \rangle = npq^2(1 - p)$. If q is assumed constant, a reduction in p and increase in n would therefore lead to a decrease of the EPSC amplitude variance, and a reduction in p to an increase of the ratio of the variance to its mean ($\langle (E - \langle E \rangle)^2 \rangle / \langle E \rangle = q(1 - p)$). To estimate these quantities from single trials, we assume that after the first 0.5 sec, AMPAR desensitisation is stable and therefore the quantal current q is constant. We further assume that changes in the release probability and RRVP occupancy are very slow. Then the synaptic response may be considered stationary over short intervals of 1-2 sec, and the mean and variance of the EPSCs can be calculated in a sliding window in data from single trials. The result of this analysis for four cells stimulated at 200Hz for 20 sec, where no transmission failures occurred, is shown in Figure 5. To account for asynchronous release during the late part of the response, not the peak EPSC amplitude, but the EPSC charge, integrated over 1 ms, was used to quantify the release (calculating the charge over an adaptive window did not change the results). The response was analysed in 1 sec intervals using a 2 sec window. Consistent with the model prediction, a decrease in variance (Fig. 5A) and an increase in the variance-mean ratio during the late phase of the stimulus (Fig. 5B) is visible for all cells.

Model fits for long stimulation

The model could also reproduce depression of the EPSC amplitude during prolonged stimulation at 37°C. Figure 6A illustrates a series of fits to recordings from a single cell during stimulation at 50, 100 and 200Hz. As shown above, release probability inhibition is increasingly stronger at higher frequencies, which leads to stronger EPSC amplitude decay and partial refilling of the RRVP (Fig. 6B).

The most prominent difference to the fits obtained at room temperature was that the

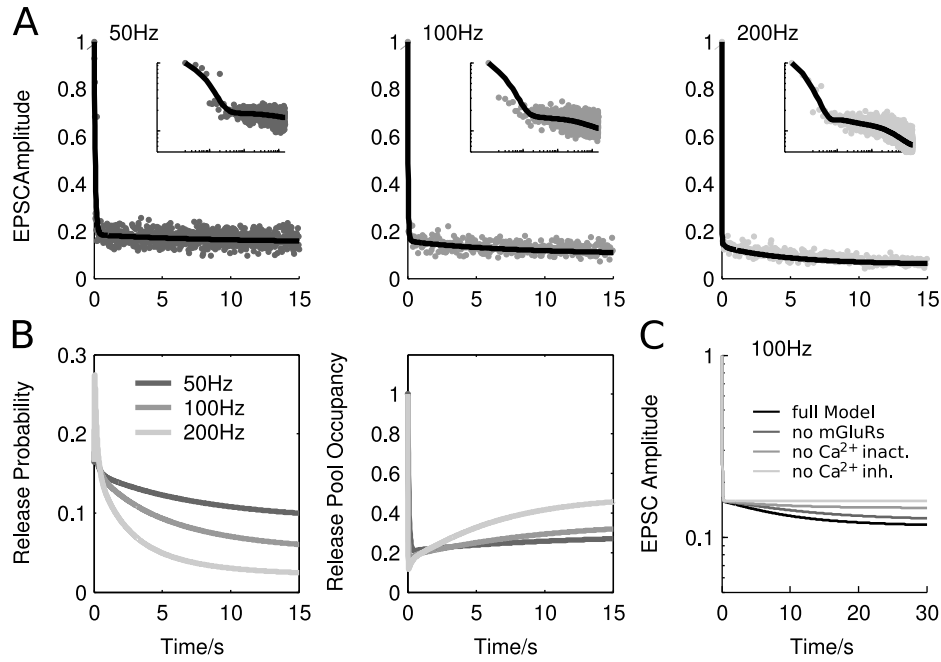


Figure 6: Model fits to a series of 15 sec long recordings at physiological temperature from a single cell. A, Model (lines) and recorded EPSC amplitudes (dots) during stimulation at 50, 100 and 200Hz (at 100Hz every 5th and at 200Hz every 10th data point is shown for clarity). Insets show the same data replotted in double-logarithmic coordinates to illustrate the slow EPSC amplitude decay (all data points are shown). The experimental EPSC amplitudes were normalised with respect to the mean first EPSC amplitude across all trials. Model parameters are as in Table 1, except: $C_0 = 0.1807$ ($p_r = 0.16$), $k_e^m = 63/\text{s}$, $\tau_e = 0.025\text{s}$, $k_{i1} = 0.0022/\text{s}$, $k_{i2} = 0.0013/\text{s}$, $k_b = 0.0031/\text{s}$. B, Simulated time course of the release probability (left) and RRVP occupancy (right) for the three different frequencies. C, Simulated EPSC amplitude during stimulation at 200Hz for the full model, the model without mGluRs or inactivation and without any form of calcium channel inhibition.

rates for the activity-dependent vesicle retrieval were strongly increased. This is consistent with the experimental findings that temperature affects primarily endocytosis and AMPA receptor gating (Kushmerick et al., 2006; Postlethwaite et al., 2007; Renden and von Gersdorff, 2007), where the latter leads to overall larger EPSC amplitudes. No significant changes in parameters for AMPAR desensitisation were required. In addition, in these fits it was possible to better constrain the rate constants for the slow processes mediating the slow EPSC amplitude decay via release probability inhibition, which differ from those estimated at room temperature (Table 1). A comparison of fits to data from different cells suggests that these rates are highly variable, causing the observed differences in magnitude and time course of the slow decay.

Removing the different components of calcium channel inhibition from the model shows their relative contribution to the final response (Fig. 6C). The model for calcium channel inactivation includes a fast and a slowly activating component, with fast and slow relaxation, respectively. Removing it therefore strongly reduces the EPSC amplitude decay and RRVP recovery. The effect of autoreceptor activation develops and decays slowly, and is therefore weaker and makes a significant contribution only after 1-2 seconds after stimulus onset. Note that during the first second of stimulation, all effects on the EPSC amplitude are very small and therefore probably not resolvable in experiments using short stimuli (Billups et al., 2005).

Effects of stimulus history on recovery from synaptic depression

The results discussed so far suggest that it may take a considerable time before transmission at the calyx of Held can be considered stationary, i.e. when all processes have reached their steady-state activity. Therefore, one would expect a strong influence of the stimulus history on the behaviour of the synapse. To test this in the model, the stimulus-dependence of recovery from depression was investigated. The time course of recovery from depression after 1 sec stimulation was investigated at different stimulus frequencies (1, 10 and 100Hz; Fig. 7A), and recovery curves were obtained for the EPSC amplitude (Fig. 7A, top), the RRVP occupancy (Fig. 7A, bottom left), the calcium release transient (Fig. 7A, top right) and the release probability (Fig. 7A, bottom right).

A comparison of the recovery curves for the EPSC amplitude shows that their shape strongly depends on the stimulus frequency: with increasing frequency, the total recovery time increases, but in addition, a fast, non-exponential initial phase appears. The recovery of the RRVP on the other hand has a similar, exponential time course at all frequencies. For higher frequencies ≥ 10 Hz however, an initial rapid recovery is visible, which is a consequence of fast, activity-dependent vesicle recruitment, which is activated more efficiently during high-frequency stimulation. The recovery of the release probability is also frequency-dependent, and, similar to the EPSC, has a fast early and slow late phase. The fast phase is mediated by the recovery of fast calcium channel inactivation, and the slow component by autoreceptor activation and slow inactivation. This shows that frequency-dependent recovery curves in this model are the result of different relative activation of multiple activity-dependent processes. This behaviour vanishes in the depletion model, here the EPSC recovery curves assume an exponential form and are identical at different frequencies apart from a slight initial acceleration at high frequencies, which is caused by a stronger activity-dependent vesicle recruitment (not illustrated).

To illustrate their non-exponential character, the EPSC recovery curves are replotted in Figure 7B in a double-logarithmic representation. For all frequencies, their shape clearly differs from an exponential decay (parabolas shown as dotted lines), or a sum of two

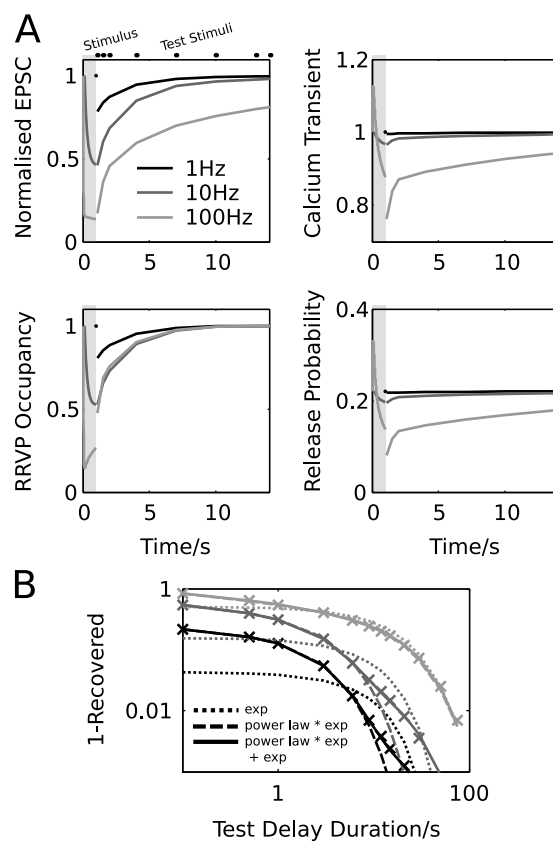


Figure 7: Recovery from synaptic depression is frequency-dependent in the model. A, Stimulation-evoked changes and recovery curves of the EPSC amplitude (top left), the RRVP occupancy (bottom left), calcium release transient (top right) and corresponding release probability (bottom right). Conditioning stimuli were presented for 1 sec at 1, 10 and 100Hz, and recovery curves were obtained by applying test stimuli at different intervals after the conditioning stimulus. B, The EPSC recovery curves from part A, replotted in a double-logarithmic representation (data points shown by crosses). Dotted lines: exponential fits to the late part of the recovery curves; broken lines: fits with a power-law function multiplied by an exponential (Eqn. 13); solid lines: fits with a sum of the product of a power-law and an exponential and an additional exponential.

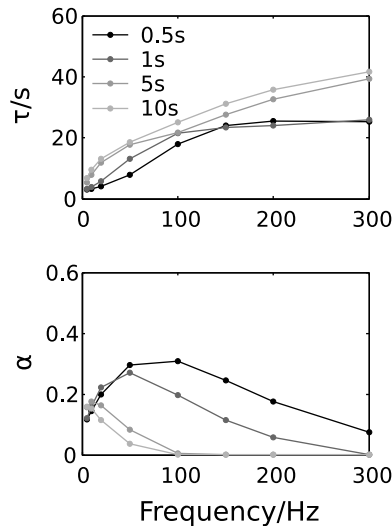


Figure 8: Summary of the effects of stimulus frequency and duration on recovery from synaptic depression. Shown are the estimated slope α of the power law (top) and the exponential decay time constant τ (bottom) according to Eqn. 13 as a function of stimulus duration for stimuli at 10, 50 and 100Hz.

exponentials, as has been previously used to describe recovery from depression (Wang and Kaczmarek, 1998; Dittman and Regehr, 1998). A better description is given by a power law, which terminates with an exponential decay:

$$R(\Delta t) = A \cdot e^{-\Delta t/\tau} \cdot \Delta t^{-\alpha} \quad (13)$$

$R(\Delta t)$ now describes the EPSC amplitude evoked by a test stimulus Δt seconds after the first stimulus, where α is the slope of the power law, τ the exponential decay time constant and A a scaling factor (Fig. 7B, broken lines). At low frequencies (1-10Hz), an additional exponential decay in equation 13, which covers the very late, slow component of the EPSC recovery, could further improve the fit (Fig. 7B, solid lines). However, this additional term only makes a very small, negligible contribution.

The combined effects of stimulus frequency and duration on the recovery from depression are summarised in Figure 8. The exponential recovery time (τ) increases with stimulus frequency and duration, consistent with an increasing contribution of slowly decaying release probability inhibition. The exponent of the initial power law recovery (α) is highest for short stimuli at high frequencies, and gradually decreases with increasing frequency and stimulus duration. For low-frequency stimuli at around 10Hz, a significant power-law component is also visible for long stimulus durations.

In summary, this shows that after several seconds of intense stimulation, recovery primarily follows a very slow exponential time course, as shown by Forsythe et al. (1998). For short high-frequency stimuli however, recovery is initially dominated by a rapid, power law time course before terminating in a slow exponential component. Importantly, the precise time course of recovery strongly depends on stimulus intensity and duration.

Synaptic transmission under natural conditions

Sound stimuli presented *in vivo* cause bursts of activity embedded in low-frequency background activity in auditory nerve fibres (Kopp-Scheinpflug et al., 2003). Background ac-

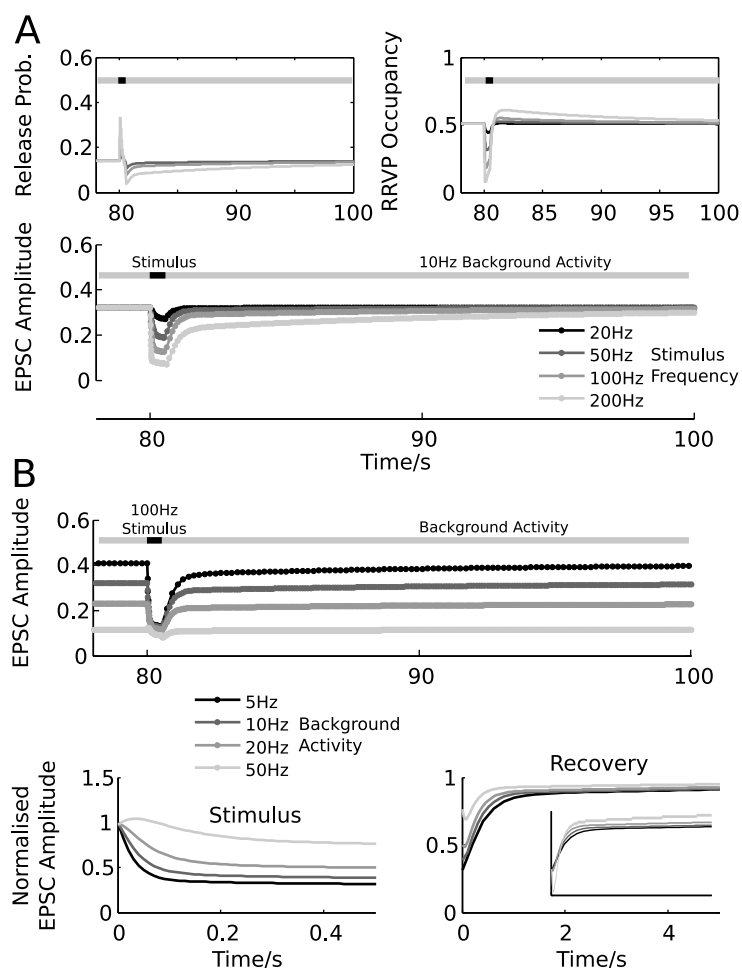


Figure 9: Transmission of stimuli in the presence of maintained background activity. A, A 0.5 sec stimulus at 20, 50, 100 or 200Hz was embedded into constant 10Hz background firing (80 sec after onset of the background activity). Shown are the release probability (top left), the RRVP occupancy (top right) and the EPSC amplitudes (bottom). B, EPSC amplitudes for a 0.5 sec stimulus at 100Hz, embedded in background activity at 5, 10, 20 and 50Hz (top: absolute EPSC amplitudes; bottom: EPSC amplitudes during stimulation (left) and recovery (right), normalised to the steady state value during background activity). The inset (bottom right) shows the recovery curves normalised to the last EPSC amplitude during stimulation. Stimulation periods are indicated by the black bars, and background firing by grey bars.

tivity has been shown to chronically depress the calyx of Held (Hermann et al., 2007). To investigate the model behaviour under these conditions, the transmission of a short test stimulus, embedded into constant background firing, was simulated (Fig. 9). Different frequencies of the test stimulus (Fig. 9A) or background activity (Fig. 9B) were tested.

Increasing the test stimulus frequency during constant background activity causes a stronger depression from the baseline level, accompanied by stronger release probability facilitation and RRVP depletion (Fig. 9A). The relative strength of depression, compared to the baseline during background activity, is lower than during stimulation of a rested synapse, as also recently reported by Hermann et al. (2007). Regardless as to whether the synapse is initially silent or in an already depressed state due to background activity, the EPSC amplitude converges to the same steady-state value. Only the time course of depression differs as the initial conditions are different. Hence the presence of background activity does not affect the stationary properties of depression. The same behaviour is also observed in the depletion model (not illustrated).

We also tested how changes of the background firing rate affect transmission of a 100Hz stimulus (Fig. 9B). A comparison of the EPSC amplitudes during stimulation shows that the relative amount of depression decreases with increasing background firing frequency, but in absolute terms, the strength of depression is always the same. At higher background rates, an initial EPSC facilitation appears after stimulus onset (Fig. 9B, bottom left), which is partially masked by AMPAR desensitisation. This effect depends on facilitation and is stronger when the initial release probability is reduced or the strength of facilitation increased. It is however not observed in the depletion model, where strong RRVP depletion prevents facilitation (here facilitation is only observed under rested conditions).

The simulations show that recovery back to the baseline accelerates for increased background firing (Fig. 9B, bottom right), as reported by Hermann et al. (2007). A comparison of the recovery curves for different frequencies shows that this is only partially a relative effect resulting from the different baseline EPSC amplitudes, since the normalised and scaled recovery curves do not fully overlap (Fig. 9B, inset bottom right). Instead, this effect is caused by different relative activation of release probability inhibition by the stimulus. During lower background firing rates, there is little release probability inhibition so that the stimulus results in a relatively strong increase in this inhibition which prolongs recovery. However, at high background rates release probability inhibition is already high and is not much further activated by the stimulus, hence recovery is dominated by faster processes. The same effect is observed when the stimulus duration is increased (not illustrated). As a lower EPSC amplitude can reduce the probability of spiking of MNTB neurons, it is possible that this effect contributes to the observed stimulus-dependent suppression of spontaneous firing observed in MNTB neurons after sound stimulation (Kadner et al., 2006).

As the strength of this effect increases with stimulus frequency and duration, a regulation of spontaneous activity levels to different naturally occurring activity levels can potentially increase the fidelity of synaptic transmission at the calyx of Held. This would predict that auditory nerve fibres with lower excitation threshold have higher rates of spontaneous activity, which has been reported for different mammalian species (Tsuji and Liberman, 1997; Taberner and Liberman, 2005).

Discussion

This study presents an analysis of a phenomenological model of STP at the calyx of Held, which combines multiple processes acting at different sites and over a wide range of temporal scales. In addition to vesicle depletion and facilitation, the main components of typical models of STP, two further types of mechanism were required to reproduce the experimental data: (1) rapid, activity-dependent vesicle retrieval and (2) multiple processes mediating slow, activity-dependent release probability inhibition. Both have been characterised at the calyx of Held, as well as in other synapses, but few studies have so far addressed the effects of an interaction of these multiple mechanisms, each acting on a very different temporal scale.

Our results reconcile several previous findings at the calyx of Held. Firstly, the model shows that a gradual reduction of the EPSC amplitude during sustained stimulation is caused by slow inhibition of the release probability, which is accompanied by a slow, partial recovery of the RRVP. An analysis of recordings using long stimulation protocols, as well as previous evidence (Billups et al., 2005), are consistent with this prediction. This result may be relevant for synaptic transmission under *in vivo* conditions, where responses to sound stimuli are embedded in constant random background activity (Kopp-Scheinpflug et al., 2003) which causes chronic synaptic depression (Hermann et al., 2007). Our results suggest that in this case depression is not primarily mediated by vesicle depletion, but that instead slow inhibition of the release probability gradually assumes control to reduce depletion. This suggests that the baseline conditions during transmission of stimulus-induced activity under natural conditions may differ significantly from those in a rested synapse.

Secondly, the model naturally explains stimulus-dependent effects on the recovery time course from synaptic depression. Increasing stimulus frequency and/or duration leads to a slower overall recovery, but also introduces a rapid initial component. Qualitatively similar behaviours have been reported in experimental studies (Forsythe et al., 1998; Xu and Wu, 2005), but further experiments are required to test this prediction more specifically. Our simulations demonstrate that these differences can result from a combined relaxation of multiple, differentially activated, processes with different relaxation rates.

Thirdly, the model reproduces the recently reported accelerated recovery from depression induced by stimuli embedded in background activity Hermann et al. (2007). We further find that the recovery kinetics are strongly dependent on the stimulus intensity/duration, which as a result may affect subsequent transmission of spontaneous activity in a stimulus-dependent manner. This effect has been reported for MNTB neurons, and has been proposed to allow for encoding of temporal stimulus properties (Kadner et al., 2006). Finally, the simulations illustrate that increased levels of background activity accelerate recovery from depression after stimulation, suggesting a possible role for spontaneous firing in regulating the temporal fidelity of the synapse.

Release probability modulation

This study suggests that, in addition to dynamics of vesicle depletion and retrieval, different forms of activity-dependent release probability modulation are implicated in STP at the calyx of Held. The model includes a single rapid, activity-dependent mode of calcium current facilitation, which has been characterised experimentally and implicated in EPSC amplitude facilitation when AMPAR desensitisation is blocked (Borst and Sakmann, 1998; Cuttle et al., 1998; Tsujimoto et al., 2002; Wong et al., 2003). Experimental evidence however also shows that other factors, such as accumulation of residual calcium (Felmy

et al., 2003a) which has been implicated in post-tetanic potentiation (Habets and Borst, 2005; Korogod et al., 2005), or calcium buffer saturation (Müller et al., 2007), can contribute to facilitation. These were not explicitly included in the model, which therefore implements only a simplified description of facilitation. Preliminary simulations including residual calcium accumulation suggest that it causes an opposing effect on calcium channel inhibition during continuous stimulation, but induces facilitation after stimulus offset and recovery from calcium channel inhibition due to its slow decay rate.

Slow release probability inhibition on multiple time scales is a central mechanism in this model that changes its behaviour in a non-trivial way. Inactivation and G-protein mediated inhibition are well documented features of P-type calcium channels, which are responsible for transmitter release at the calyx of Held (Takahashi et al., 1996; Forsythe et al., 1998; Takahashi et al., 1998; Billups et al., 2005; Takago et al., 2005). A substantial reduction of the presynaptic calcium current, as predicted by the model, has been observed only after prolonged, intensive stimulation (Forsythe et al., 1998). Therefore, a substantial contribution to synaptic depression has, at least for short stimuli, so far been ruled out. In addition, recordings of calcium currents in mice have shown strong facilitation at high stimulation frequencies (Ishikawa et al., 2005), which are more consistent with a model without significant calcium channel inhibition (cf. Fig. 3B, “depletion model”). On the other hand, while blocking presynaptic mGluRs had no effect on the EPSC amplitude recorded during brief high-frequency stimulation, it accelerated recovery from depression and recovered the RRVP, suggesting a reduction of the release probability (Billups et al., 2005). In addition, a recent study has reported a small, but significant decrease of the presynaptic calcium current even during moderate stimulation in young rats, which was linked to calcium channel inactivation and proposed as a main cause for synaptic depression at low stimulus frequencies (Xu and Wu, 2005). Consistent with this hypothesis, deletion of the calmodulin-binding domain in Cav2.1 channels has been shown to cause a reduction of synaptic depression (Mochida et al., 2008). It was however also recently reported that calmodulin-dependent inactivation is less pronounced in more mature animals (Nakamura et al., 2008). It is not entirely clear yet whether this lack of consistency between different studies is solely caused by species and age differences. It may also be possible that some studies have underestimated calcium current inhibition in presynaptic recordings, especially since even moderate concentrations of fast, soluble calcium buffers (e.g. BAPTA) in the pipette have been shown to strongly suppress calcium channel inactivation (Lee et al., 2000; Kreiner and Lee, 2006).

Here we found that a slow release probability inhibition is compensated by an increase of the RRVP. It is caused by activity-dependent vesicle recruitment, and is incomplete, if the RRVP has a limited maximal size (for an unlimited RRVP, the compensation is complete; Billups et al., 2005; Hennig et al., 2007). We show that this results in a slow decay of the EPSC amplitude during prolonged stimulation, which is also observed in long recordings (Fig. 4, 6; see also Hermann et al., 2007). We also show that the actual effect of removing a component of release probability inhibition on EPSC amplitude is very small, in particular for short stimuli (Fig. 6C), and hence potentially experimentally difficult to assess.

Stimulus-dependent recovery from depression

Our model shows strongly stimulus dependent recovery dynamics from depression, possibly a rather common property of synapses that has been reported in a number of studies. An acceleration with increasing frequency was found for very short stimuli at the calyx

of Held (Wang and Kaczmarek, 1998; Sakaba and Neher, 2001a) and in the somatosensory cortex (Fuhrmann et al., 2004). These results are most likely indicators of activity-dependent vesicle retrieval, and could be reproduced with the current model, although the effect observed with the parameters estimated for the recordings used in the study was smaller than reported by (Wang and Kaczmarek, 1998) (data not shown). To reproduce it, the rate of activity-dependent vesicle recruitment had to be reduced such that it only contributed at high stimulus frequencies.

A slowing of recovery has been reported after increasing stimulus frequency (Xu and Wu, 2005; note that this study simultaneously varied stimulus duration and frequency) and duration (Forsythe et al., 1998) at the calyx of Held, in Purkinje cells (Silver et al., 1998) and motor neurons (Wu and Betz, 1998). The model behaviour is consistent with these findings, and suggests that recovery curves will generally assume the shape of a truncated power law (Eqn. 13), with an initial fast component that terminates with a slow exponential decay.

Generally, a truncated power law for relaxation dynamics is obtained if all processes are summed in a common variable (the postsynaptic current), and their relaxation time constants differ. Then, the recovery dynamics are given by a sum of exponential decay functions: $R(\Delta t) = \sum_i a_i e^{-k_i \Delta t}$, where the a_i denote the activation level of each process i , and k_i its relaxation rate. If the sum is expressed in integral form, and the activation levels a_i are chosen to follow a power law of the relaxation time constant (or any monotonously decreasing polynomial function), the following expression describes the recovery dynamics:

$$R(\Delta t) \sim \int_0^\infty k^\alpha \cdot \text{step}_{k_s}(k) \cdot e^{-k \Delta t} dk = \Gamma(\alpha + 1) \cdot \Delta t^{\alpha-1} e^{-k_s \Delta t}, \quad (14)$$

where $\text{step}_{k_s}(k) = \begin{cases} 1 & k \geq k_s \\ 0 & k < k_s \end{cases}$ is the step function, which introduces a lower limit on the decay constant (the upper limit is ignored as it only makes a minor contribution; more complicated activation level distributions described by a polynomial will yield sums of this function). This integral is the Laplace transform of $k^\alpha \cdot \text{step}_{k_s}(k)$, which yields the expression introduced in equation 13. Further experiments are required to test this prediction, where recovery curves following different stimulus protocols have to be compared in presence of variable calcium buffer concentrations or calmodulin blockers that selectively control the strength of the slow STP components.

Implications for signal transmission

The calyx of Held is part of the circuitry that computes interaural level and timing differences to estimate the location of sound sources, which requires precise and reliable transmission of sound evoked activity (Trussell, 1999). It is thought to function as an inverting relay, converting excitatory globular bushy cell inputs into similar spike trains in the inhibitory MNTB neurons, which are sent to different brainstem nuclei to enable the comparison of ipsi- and contralateral sound-evoked activity (Oertel, 1999). Accordingly, this synapse has a very high safety factor, such that virtually every input spike will produce a postsynaptic EPSC, except during very intense, prolonged stimulation (cf. Fig. 4). Reliability and precision of transmission is further maintained by preventing temporal summation of the calyx input into MNTB neurons through expression of low- and high-voltage-activated potassium channels (Brew and Forsythe, 1995). This lack of temporal summation means that, due to the frequency-dependent character of synaptic depression,

EPSC amplitudes are strongly related to the instantaneous input spike frequency. In addition, synaptic depression on multiple time scales extends this dependency to the wider input spike train history. This form of amplitude coding of input spike train features can potentially lead to, and allow for, further regulation of transmission of sound-evoked activity. It has indeed been demonstrated *in vivo* that the MNTB does not act as a simple relay, but strongly filters incoming spike trains, not transmitting every incoming spike, and improves frequency tuning and phase-locking in its output (Kopp-Scheinflug et al., 2003). Furthermore, the calyx and MNTB neurons are known to receive further inhibitory and neuromodulatory inputs (Oertel, 1999; Schneggenburger and Forsythe, 2006), which can synergistically interact with the EPSC amplitude and membrane properties to shape the MNTB output. How precisely these factors interact is so far unclear and an interesting question for future modelling studies.

A further consequence of the multi-time-scale mechanisms is that the EPSC amplitude remains sensitive to the preceding interspike interval over a very wide range of ISIs or, equivalently, stimulus frequencies. When stimulated by Poisson trains of spikes the EPSCs contain information about the preceding interspike intervals, as measured by the Shannon mutual information between EPSC amplitude and ISI (Yang, Hennig, Postlethwaite, Forsythe and Graham; unpublished data). High information rates are maintained for mean frequencies ranging from less than 1 Hz to several hundred Hertz. The different mechanisms contribute most to information transfer over a frequency range determined by their major time constant.

Our results also suggest that the character of synaptic transmission at the calyx of Held under *in vivo* conditions differs profoundly from that encountered in rested slice preparations. Tonic background activity induces constant depression, which is mediated not only by RRVP depletion, but involves multiple, interacting processes. This may have several implications. Firstly, recovery to baseline during background activity is fast, and is accelerated for high-frequency or long stimuli during high spontaneous firing rates. This provides an advantage for reliable transmission of bursts evoked by tone stimuli in rapid succession. Secondly, slow inhibition of presynaptic calcium currents and the concomitant recovery of the RRVP during sustained activity may have metabolic advantages, as it relieves the load on calcium pumps and vesicle cycling processes. Here it is also interesting that these processes not only span multiple time scales, but also probe different locations: calcium channel inactivation senses presynaptic incoming activity, and autoreceptors provide a measure of the synaptic output. Long-term regulation of such processes, as for example documented in the calyx for mGluRs during development (Renden et al., 2005), may therefore also be linked to homeostatic regulation and maintenance of stable operation regimes.

Finally, the truncated power law we found for the relaxation dynamics of the synapse may have more general implications in the context of neural adaptation, and processing of sound stimuli. As recently discussed by Drew and Abbott (2006), this type of adaptation allows a system to carry a long memory of the past activity and to adapt to fluctuations on multiple time scales typical for natural stimuli. This result deserves further investigation, and raises the question how far neural processing under natural conditions can be considered to take place under stationary conditions, even at the level of single synapses.

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